

## Examples

Furnace 80,000 BTU + Water Heater 40,000 BTU = 120,000 BTU Total

### Minimum Indoor Air Communicating with the Appliances:

The minimum required volume shall be 50 cubic feet per 1,000 Btu/h of the appliance input rating.  
( (Total BTU Input of all Appliances / 1,000) x 50 = Volume Required )

$$(120,000 \text{ BTU} / 1,000) \times 50 \text{ ft}^3 = 6,000 \text{ ft}^3$$

### Combustion Air Supplied From Same Story:

The minimum free area of 1 square inch per 1,000 Btu/h of the total input rating of all appliances in the enclosure.

( Total BTU Input of all Appliances / 1,000 = Free Area of Each Opening Required )

$$(120,000 \text{ BTU} / 1,000) \times 1 \text{ in}^2 = 120 \text{ in}^2 \text{ minimum free area for each of the required (2) openings}$$

Utilizing metal louvers requires  $(120 \text{ in}^2 / .75 = 160 \text{ in}^2)$  to obtain 120 in<sup>2</sup> of free area.

$$\text{Confirmation: } 75\% \text{ of } 160 \text{ in}^2 = .75 \times 160 \text{ in}^2 = 120 \text{ in}^2$$

One opening 160 in<sup>2</sup> within 12 inches of the top and one opening 160 in<sup>2</sup> within 12 inches of the bottom of the enclosure would meet the minimum requirements.

Note: the appliances must be communicating with a minimum of 6,000 ft<sup>3</sup> of space as calculated above.

### Combustion Air Supplied From Different Story:

The minimum free area of 2 square inches per 1,000 Btu/h of total input rating of all appliances in the enclosure.

( Total BTU Input of all Appliances / 1,000 x 2 = Total Free Area Required )

$$(120,000 \text{ BTU} / 1,000) \times 2 \text{ in}^2 = 240 \text{ in}^2 \text{ minimum free utilizing one or more openings}$$

Utilizing metal louvers requires  $(240 \text{ in}^2 / .75 = 320 \text{ in}^2)$  to obtain 240 in<sup>2</sup> of free area.

$$\text{Confirmation: } 75\% \text{ of } 320 \text{ in}^2 = .75 \times 320 \text{ in}^2 = 240 \text{ in}^2$$

One or more openings in doors or floors 320 in<sup>2</sup> communicating with a different story would meet the minimum requirements.

## Minimum Outdoor Air Communicating with the Appliances:

### Two-permanent-openings method:

#### Vertical Ducts:

The minimum free area of each opening shall have a minimum free area of 1 square inch per 4,000 Btu/h of total input rating of all appliances in the enclosure.

( Total BTU Input of all Appliances / 4,000 = Total Free Area Required )

$(120,000 \text{ BTU} / 4,000) \times 1 \text{ in}^2 = 30 \text{ in}^2$  minimum free area for each of the required (2) openings

Assume duct is communicating with the attic space and louvers are not utilized.

One opening  $30 \text{ in}^2$  within 12 inches of the top and one opening  $30 \text{ in}^2$  within 12 inches of the bottom of the enclosure would meet the minimum requirements.

#### Horizontal Ducts:

The minimum free area of each opening shall have a minimum free area of 1 square inch per 2,000 Btu/h of total input rating of all appliances in the enclosure.

( Total BTU Input of all Appliances / 2,000 = Total Free Area Required )

$(120,000 \text{ BTU} / 2,000) \times 1 \text{ in}^2 = 60 \text{ in}^2$  minimum free area for each of the required (2) openings

Utilizing metal louvers requires  $(60 \text{ in}^2 / .75 = 80 \text{ in}^2)$  to obtain  $60 \text{ in}^2$  of free area.

Confirmation:  $75\% \text{ of } 80 \text{ in}^2 = .75 \times 80 \text{ in}^2 = 60 \text{ in}^2$

One opening  $80 \text{ in}^2$  within 12 inches of the top and one opening  $80 \text{ in}^2$  within 12 inches of the bottom of the enclosure would meet the minimum requirements.

### One-permanent-opening method:

The minimum free area of 1 square inches per 3,000 Btu/h of total input rating of all appliances in the enclosure.

( Total BTU Input of all Appliances / 3,000 = Total Free Area Required )

$(120,000 \text{ BTU} / 3,000) \times 1 \text{ in}^2 = 40 \text{ in}^2$  minimum free utilizing one or more openings

Utilizing metal louvers requires  $(40 \text{ in}^2 / .75 = 53.3 \text{ in}^2)$  to obtain  $53.3 \text{ in}^2$  of free area.

Confirmation:  $75\% \text{ of } 53.3 \text{ in}^2 = .75 \times 53.3 \text{ in}^2 = 40 \text{ in}^2$

One opening  $53.3 \text{ in}^2$  within 12 inches of the top of the enclosure would meet the minimum requirements.

## Combination Indoor & Outdoor Combustion Air:

For example we have 3,000 ft<sup>3</sup> of indoor combustion air available from the same story  
As calculated above we will need one opening 160 in<sup>2</sup> within 12 inches of the top and one opening 160 in<sup>2</sup> within 12 inches of the bottom of the enclosure to meet part of the combustion air requirements.

Without the indoor air, utilizing only the one-permanent-opening method as shown above we would need one opening 53.3 in<sup>2</sup>, however, we can reduce this because we are utilizing some indoor air for combustion.

The reduction factor equals the calculated total free area based on the outdoor combustion air section x (1 - available volume/required volume).

$$53.3 \text{ in}^2 \times (1 - (3,000\text{ft}^3/6,000\text{ft}^3)) = 26.65\text{in}^2$$

Therefore, we need the two 160in<sup>2</sup> openings communicating with the indoor air and one opening 26.65 in<sup>2</sup> within 12 inches of the top of the enclosure in order to meet the minimum requirements.